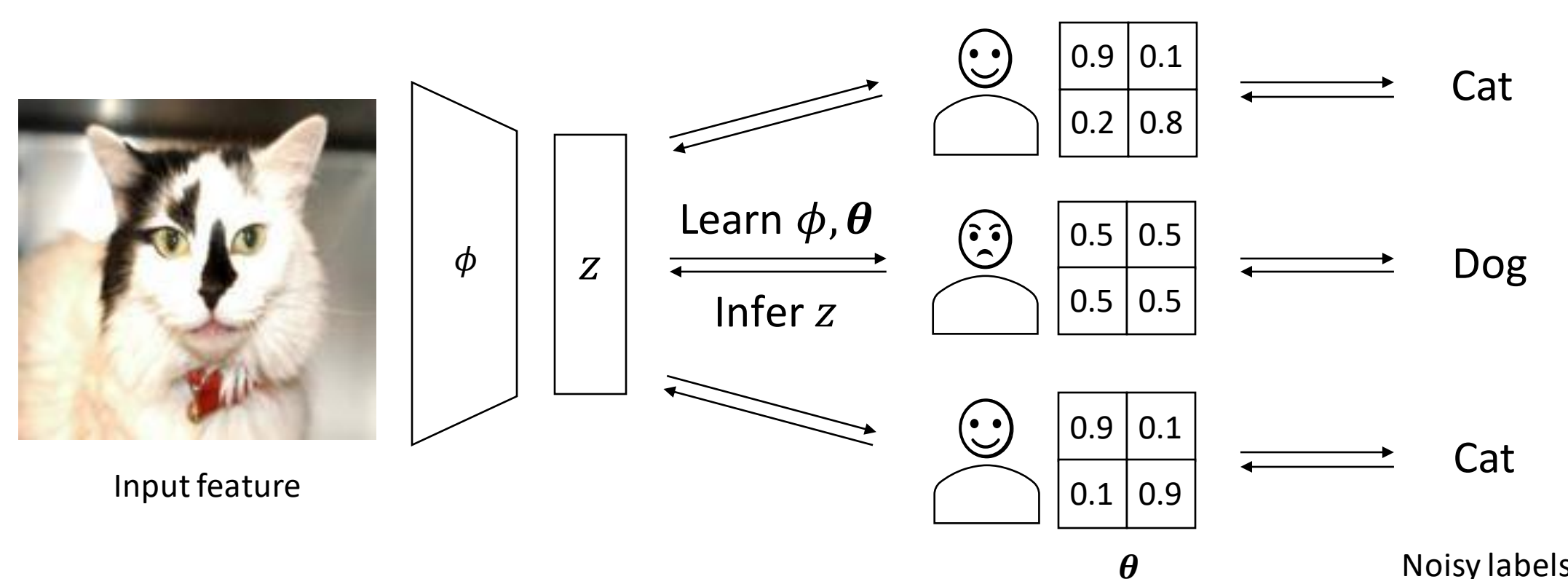




## 1. Introduction

### Learning from Crowds with Confusion Matrix

In crowdsourcing systems, we can obtain noisy datasets from workers. We infer true labels  $\mathbf{z}$  and learn a classifier  $\phi$  by modeling workers with confusion matrix  $\theta$ .



### Crowds from Prior Distribution

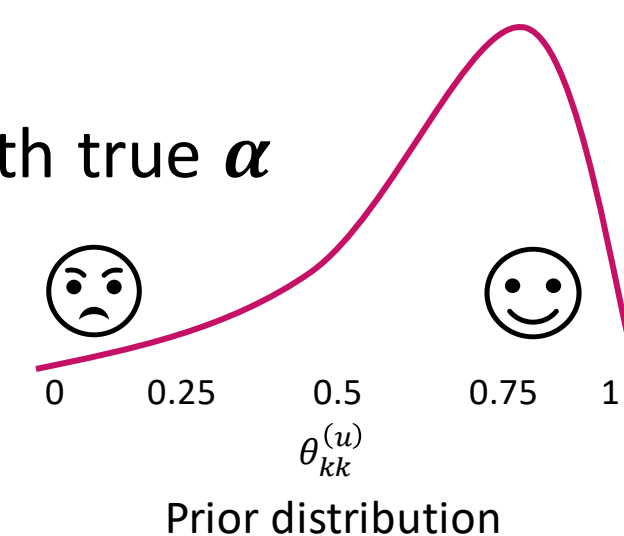
Assuming worker  $u$  follows prior distribution parameterized by  $\alpha$ , confusion matrix  $\theta^{(u)} \in [0,1]^{K \times K}$  denoting average ability for  $K$  classes is drawn from worker prior.

#### Importance of worker prior $\alpha$

Inference performance depends on  $\alpha$  + Optimal inference with true  $\alpha$

#### Unstable learning of confusion matrix (CM)

Initialization sensitivity + Sparsity in crowds' labels



→ We i) integrate the existing methods using CM through mean-field and ii) propose a robust framework through belief-propagation.

## 2. Related Work

### Inference and Learning with Worker Prior

- Q. Liu et al., Variational Inference for Crowdsourcing. NeurIPS, 12.
- O. Jungseul et al., Optimality of Belief Propagation for Crowdsourced Classification. ICML, 16.
- R. Tanno et al., Learning from Noisy Labels by Regularized Estimation of Annotator Confusion. CVPR, 19.
- L. Shao-Yuan et al., Crowdsourcing Aggregation with Deep Bayesian Learning. Sci China Inf Sci, 21.

### Belief Propagation with Deep Learning

- Z. Zhang et al. Factor Graph Neural Networks. NeurIPS, 20.
- J. Kuck et al., Belief Propagation Neural Networks. NeurIPS, 20.
- Satorras and Welling, Neural Enhanced Belief Propagation on Factor Graphs. AISTATS, 21.

## 3. Alternating Inference and Learning

While not converged do

Clip the output of a classifier to regulate overfitting in learning

Infer true labels  $\mathbf{z}$  using clipped output and a variational distribution

Learn a classifier  $\phi$  with maximizing the ELBO

Obtain  $\mathbf{z}$  and  $\phi$

Alternating inference and learning with different variational approaches is proposed.

### Deep Mean-Field: unified view of previous methods

Variational distribution  $q(\mathbf{z}, \theta) = q(\mathbf{z})q(\theta)$  follows mean-field approximation. Equipping with Dirichlet prior  $\text{Dir}(\alpha)$ , existing methods are special cases of deepMF.

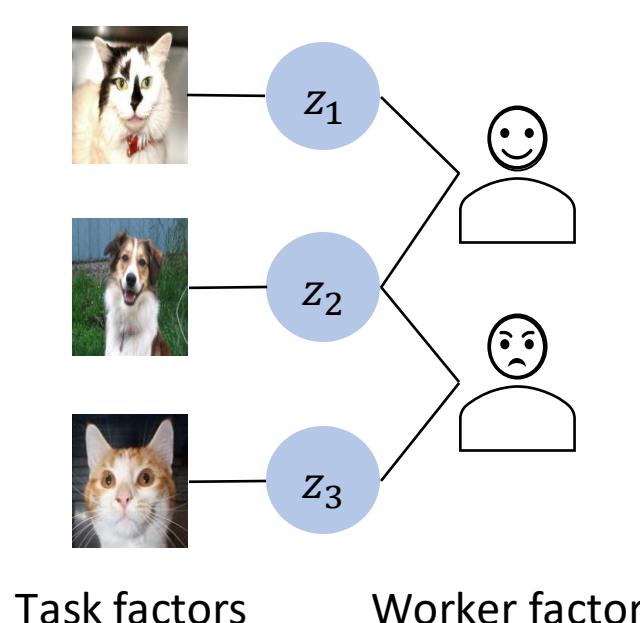
Methods	Worker prior $\alpha$	$q(\theta)$	Hyperparameters
CL (Rodrigues and Pereira, 18)	$\alpha = 1$	Dirac delta	Many
Trace (Tanno et al., 19)	$\alpha_{kk} < 1, \alpha_{kk'} = 1 (k' \neq k)$	Dirac delta	Many
BayesDGC (Li et al., 21)	Not predetermined	Dirichlet	Many
deepMF	Not predetermined	Dirichlet	Few
deepBP	Not predetermined	No	Few

### Deep Belief-Propagation: robust Bayesian framework

Variational distribution  $q(\mathbf{z})$  is obtained from belief-propagation.

#### Operation of belief-propagation

The likelihood is expressed as factor graph which contains tasks' and workers' factors.



After updating the messages, we aggregate belief for  $q(\mathbf{z})$ .

#### Fast belief-propagation message update

The message update required  $O(2^r)$  is lowered to  $O(r \cdot S)$ , where  $r$  and  $S$  is the number of tasks per worker and samples in Monte-Carlo.

#### Robust on canonical scenarios

DeepBP is robust against i) true prior, ii) feature overfitting and iii) extreme workers.

## 4. Robustness Analysis

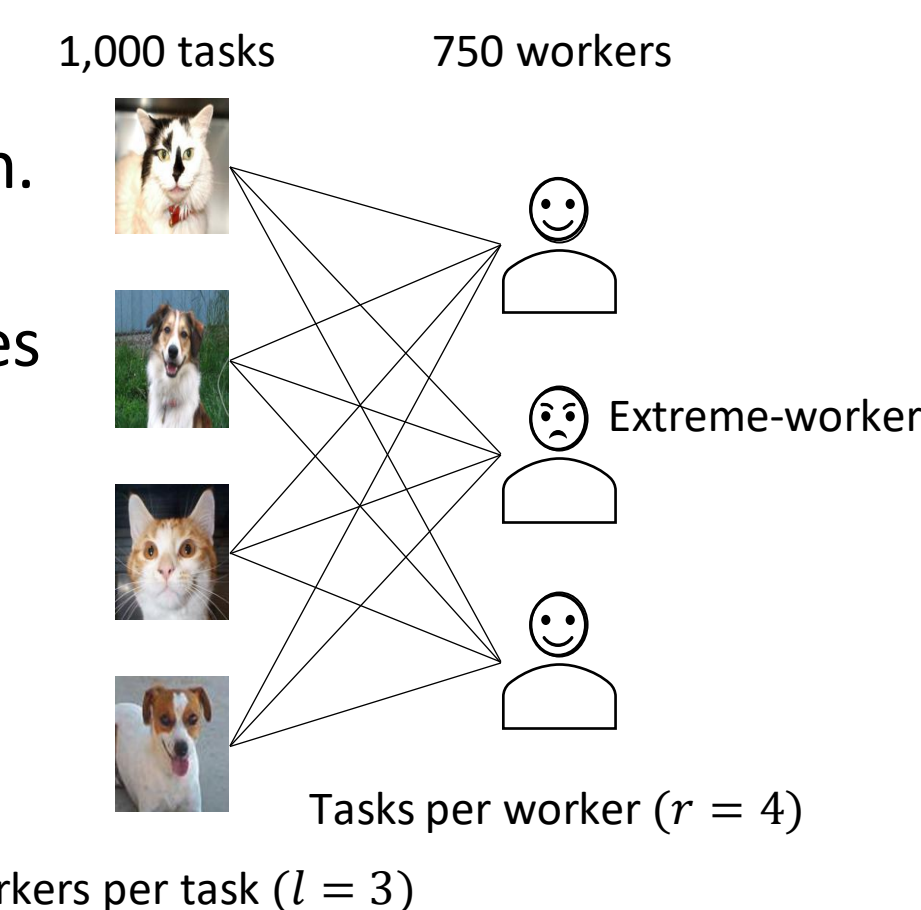
### Sparse Crowdsourcing System

Assuming 1,000 tasks and 750 workers, ( $l = 3, r = 4$ )-regular bipartite graph is generated for assignment graph.

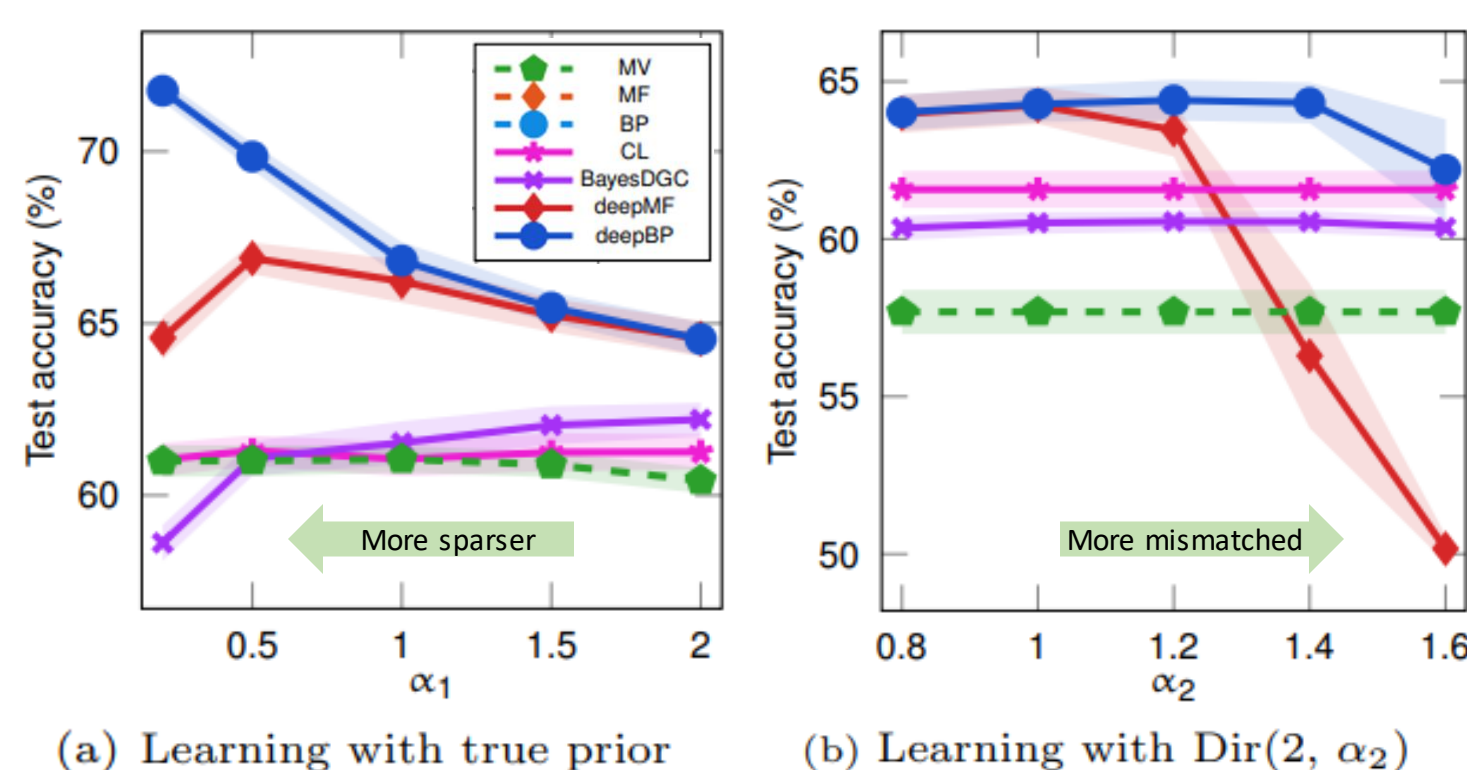
Labels are provided following workers' confusion matrices drawn from true prior.

Extreme-worker labels uniformly across all 1,000 tasks.

Performance of inference  $\mathbf{z}$  and learning  $\phi$  is measured.



### Robustness to Prior and Extreme-worker



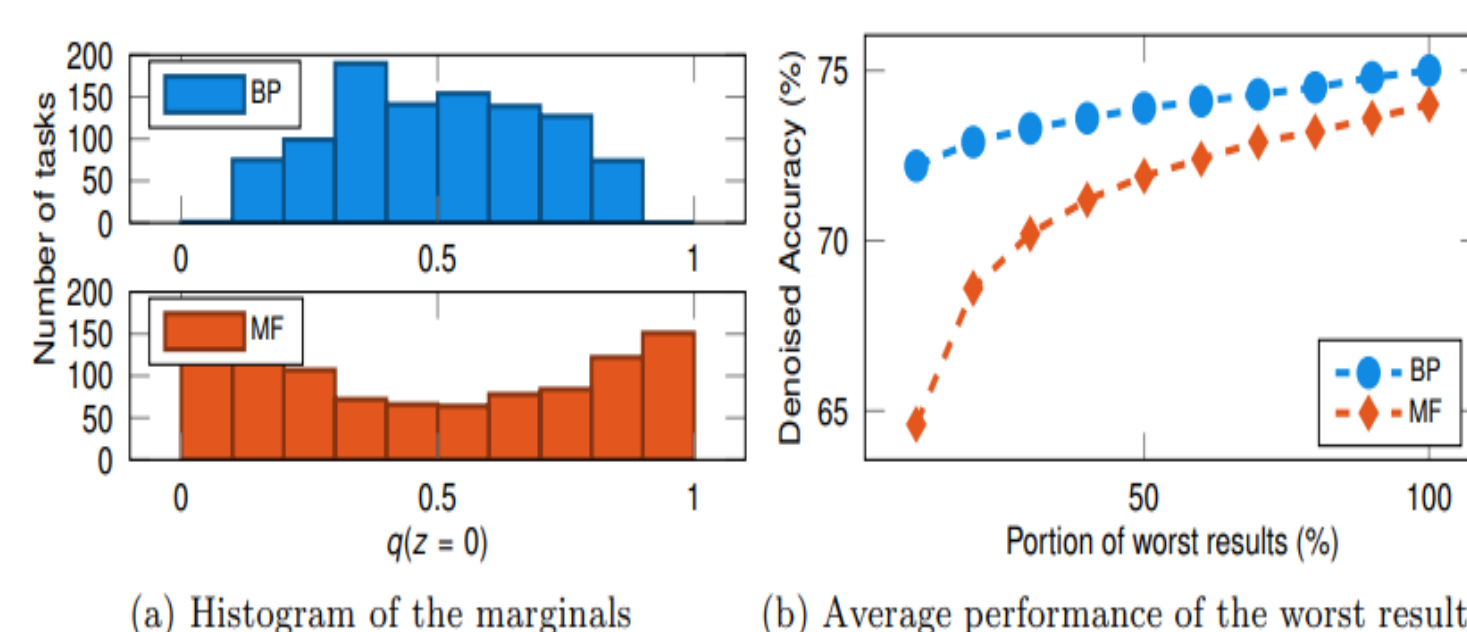
(a) Learning with true prior

(b) Learning with  $\text{Dir}(2, \alpha_2)$

(a) BP robustly utilize any true prior.

(b) Even with an extreme-worker and mismatched prior, BP is robust.

### Overconfidence and Local Minima Issues in Mean-Field



(a) Histogram of the marginals

(b) Average performance of the worst results

(a) The marginals of MF are more overconfident than BP's.

(b) MF falls into a local minima more easily than BP.

## 5. Takeaways

- Previous deep crowdsourcing methods are special cases of deepMF with specific choices of worker prior.
- By the theoretical guarantee on BP for inference, BP-based methods are more robust than MF-based methods in canonical scenarios.